| Name | Symbol | Definition | SI unit |
| :--- | :--- | :--- | :--- |
|  |  |  | Notes |
| flux (of a quantity $X$ ) | $J_{X}, J$ | $J_{X}=A^{-1} \mathrm{~d} X / \mathrm{d} t$ | $($ varies) |
| volume flow rate | $q_{V}, \dot{V}$ | $q_{V}=\mathrm{d} V / \mathrm{d} t$ | $\mathrm{~m}^{3} \mathrm{~s}^{-1}$ |
| mass flow rate | $q_{m}, \dot{m}$ | $q_{m}=\mathrm{d} m / \mathrm{d} t$ | $\mathrm{~kg} \mathrm{~s}^{-1}$ |
| mass transfer coefficient | $k_{\mathrm{d}}$ |  | $\mathrm{m} \mathrm{s}^{-1}$ |
| heat flow rate | $\Phi$ | $\Phi=\mathrm{d} q / \mathrm{d} t$ | W |
| heat flux | $J_{q}$ | $J_{q}=\Phi / A$ | $\mathrm{~W} \mathrm{~m}^{-2}$ |
| thermal conductance | $G$ | $G=\Phi / \Delta T$ | $\mathrm{~W} \mathrm{~K}^{-1}$ |
| thermal resistance | $R$ | $R=1 / G$ | $\mathrm{~K} \mathrm{~W}^{-1}$ |
| thermal conductivity | $\lambda, k$ | $\lambda=J_{q} /(\mathrm{d} T / \mathrm{d} l)$ | $\mathrm{W} \mathrm{m}^{-1} \mathrm{~K}^{-1}$ |
| coefficient of heat transfer | $h,(k, K, \alpha)$ | $h=J_{q} / \Delta T$ | $\mathrm{~W} \mathrm{~m}^{-2} \mathrm{~K}^{-1}$ |
| thermal diffusivity | $a$ | $a=\lambda / \rho c_{p}$ | $\mathrm{~m}^{2} \mathrm{~s}^{-1}$ |
| diffusion coefficient | $D$ | $D=-J_{n} /(d \mathrm{dc} / \mathrm{d} l)$ | $\mathrm{m}^{2} \mathrm{~s}^{-1}$ |

The following symbols are used in the definitions of the dimensionless quantities: mass $(m)$, time $(t)$, volume $(V)$, area $(A)$, density $(\rho)$, speed $(v)$, length $(l)$, viscosity $(\eta)$, pressure $(p)$, acceleration of free fall $(g)$, cubic expansion coefficient $(\alpha)$, temperature $(T)$, surface tension $(\gamma)$, speed of sound $(c)$, mean free path $(\lambda)$, frequency $(f)$, thermal diffusivity $(a)$, coefficient of heat transfer $(h)$, thermal conductivity $(k)$, specific heat capacity at constant pressure $\left(c_{p}\right)$, diffusion coefficient ( $D$ ), mole fraction ( $x$ ), mass transfer coefficient $\left(k_{\mathrm{d}}\right.$ ), permeability ( $\mu$ ), electric conductivity $(\kappa)$ and magnetic flux density $(B)$.
(1) The flux of molecules to a surface, $J_{N}$, determines either the rate at which it would be covered if each molecule stuck, or the rate of effusion through a hole in the surface. In studying the exposure, $\int J_{N} \mathrm{~d} t$, of a surface to a gas, surface scientists find it useful to use the product of pressure and time as a measure of the exposure since this product is proportional to the number flux, $J_{N}$, times the time $J_{N} t=(1 / 4) C \bar{u} t=(\bar{u} / 4 k T) p t$, where $C$ is the number density of molecules, $\bar{u}$ their average speed, $k$ the Boltzmann constant and $T$ the thermodynamic temperature. The unit langmuir (symbol: L) corresponds to the exposure of a surface to a gas at $10^{-6}$ torr for 1 second.

| Reynolds number | $R e$ | $R e=\rho v l / \eta$ | 1 |
| :--- | :--- | :--- | :--- |
| Euler number | $E u$ | $E u=\Delta p / \rho v^{2}$ | 1 |
| Froude number | $F r$ | $F r=v /(l g)^{1 / 2}$ | 1 |
| Grashof number | $G r$ | $G r=l^{3} g \alpha \Delta T \rho^{2} / \eta^{2}$ | 1 |
| Weber number | $W e$ | $W e=\rho v^{2} l / \gamma$ | 1 |
| Mach number | $M a$ | $M a=v / c$ | 1 |
| Knudsen number | $K n$ | $K n=\lambda / l$ | 1 |
| Strouhal number | $S r$ | $S r=l f / v$ | 1 |
| Fourier number | $F o$ | $F o=a t / l^{2}$ | 1 |
| Péclet number | $P e$ | $P e=v l / a$ | 1 |
| Rayleigh number | $R a$ | $R a=l^{3} g \alpha \Delta T \rho / \eta a$ | 1 |
| Nusselt number | $N u$ | $N u=h l / k$ | 1 |

